## CBSE TEST PAPER-1

## CLASSS _ IX

1. Prove that the median of a triangle divides it in two triangles of equal areas.
2. $A B C D$ is a trapezium in which $A B / / C D$. If $A C$ and $B D$ intersect at $O$, prove that $\operatorname{ar}(\triangle B O C)=$ $\operatorname{ar}(\triangle \mathrm{AOD})$
3. $A D$ is median on $B C$ of $\triangle A B C$. $E$ is mid point of $A D$. Prove that $\operatorname{ar}(\triangle B E D)=1 / 4 \operatorname{ar}(\triangle A B C)$.
4. In adjoining figure, two parallelograms $A B C D$ and $A E F B$ are drawn on opposite sides of $A B$.

Prove that ar.(//gm ABCD) + ar.(//gm AEFB) = ar.(//gm EFCD)
5. In the adjoining figure, $A B C D$ is a quadrilateral. A line through $D$, parallel to $A C$ meets $B C$ produced in $P$. Prove that ar. $(D A B P)=$

7. Prove that the triangles on same base and between same parallels are equal in area.
8. A point O inside a rectangle ABCD is joined to the vertices. Prove that the sum or areas of a pair of opposite triangles so formed is equal to the sum of areas of other pair of triangles.

